# Strongly Interacting Neutrinos at Ultra High Energies

(astro-ph/0506698 with A. Ringwald and H. Tu)

#### Markus Ahlers





## 1 Motivation

- 2 Strongly interacting UHE neutrinos
- **3** Flux of UHE neutrinos from optically thin sources
- 4 Goodness-of-fit test
- **5** Conclusion and Outlook

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The origin and chemical composition of ultra high energy (UHE) comic rays (CRs) is still an open question in astrophysics.

(cp. talk of A. Ringwald)

CRs around the "ankle" seem to be dominated by extragalactic protons.



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## Signs for extragalactic protons:

- $\sqrt{}$  large–scale isotropy
- √ composition measurements
- $\sqrt{}$  "dip" and "bump"
- ? Greisen–Zatsepin–Kuzmin (GZK) cutoff (large systematic errors



[AGASA - Feb. 17, 1990 - Jul. 31, 2002]

- $4 \times 10^{10} \text{GeV} < E < 10^{11} \text{GeV}$
- $E > 10^{11} \text{GeV}$
- small–scale anisotropy (?)

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## Super-GZK protons?

### Sources of extragalactic protons:

#### "Bottom-Up"

Astrophysical accelerators

- active galactic nuclei?
- gamma ray bursts?

"Top–Down"

Decay of superheavy X particles

- from topological defects?
- superheavy dark matter?

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## Super-GZK protons?

### Sources of extragalactic protons:

#### "Bottom-Up"

Astrophysical accelerators

- active galactic nuclei?
- gamma ray bursts?

In general, too distant!

"Top–Down"

Decay of superheavy X particles

- from topological defects?
   Overproduction of GeV-photons?
- superheavy dark matter? Anisotropy from Galactic halo?

A new component might be responsible for super-GZK events.

#### Still an attractive possibility: "Cosmic Rays at Ultra High Energies (Neutrino ?)" [Berezinsky/Zatsepin '69] $\sigma_{\nu N} \, [mb]$ 10 $\sigma_{\nu N}^{(I)}$ 10 vertical showers 10<sup>2</sup> [cm w.e.] 0.1 103 0.01 horizontal showers 104 0.001 105 $\sigma_{\rm ww}^{\rm cc}$ 0.0001 × 106 $\lambda_{int}$ 10-5 107 1.08 1018 1019 1020 10-510-410-310-20.1 10 10<sup>2</sup> 10<sup>3</sup> $\sigma_{\rm m}$ [mb] $E_{u}$ [eV]

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#### Still an attractive possibility:

"Cosmic Rays at Ultra High Energies (Neutrino ?)"

[Berezinsky/Zatsepin '69]



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Physics beyond the (perturbative) Standard Model (SM) predicts strongly interacting neutrinos, e.g. ...

- electroweak sphalerons
- compositeness
- Kaluza-Klein modes
- string excitations
- p-brane production

• ...

[Aoyama/Goldberg '87,Ringwald '90,Han/Hooper '03]

[Domokos/Nussinov '87,Bordes et al. '97/'98]

[Domokos/Kovesi-Domokos '98,Nussinov/Shrock '98]

[Domokos et al. '00]

[Ahn et al. '02, Anchordoqui '02]

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- the amplification  $\mathcal{A}$ ,
- the width of the transition B.

$$g_{10}\left(\frac{\sigma^{\text{new}}}{\mathcal{A}\sigma^{\text{SM}}}\right) = \frac{1}{2}\left[1 + \tanh\left(\log_{\mathcal{B}}\frac{E_{\nu}}{E_{\text{th}}}\right)\right]$$



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 $E_{tb} = 10^{10} \text{ GeV}$ 

 $A = 10^{3}$ 

B=100.5

0.1

 $-10^{-2}$ 

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"Guaranteed" UHE  $\nu s$  from CR protons due to photopion production in ...

- ...cosmic microwave background: cosmogenic neutrinos.
- ...cosmic ray accelerators.



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## Neutrinos from photopion production close to be measured!

[MA/Anchordoqui/Goldberg/Halzen/Ringwald/Weiler '05]



#### Ansatz:

#### • spatially homogeneous and isotropic source distribution

- factorization of red-shift evolution with z<sub>min</sub> = 0.012 and z<sub>max</sub> = 2.0
- single power–law with exponential cutoff  $E_{\text{max}} = 10^{12} \text{GeV}$
- optically thin sources
- low cross-over (galactic→extragalactic) at 10<sup>8.6</sup> GeV

$$\mathcal{L}_{\mathrm{CR}}(z, E_{\mathrm{CR}}) \propto (1+z)^n \, E_{\mathrm{CR}}^{-\gamma} \, \mathrm{e}^{-rac{E_{\mathrm{CR}}}{E_{\mathrm{max}}}}$$

 $z_{min} < z < z_{max}$ 

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$$\mathcal{L}_{
u}(z, E_{
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## Incident flux of protons and neutrinos

### propagation effects:

- e<sup>+</sup>e<sup>-</sup> pairproduction in CMB
- photopion production in CMB (→cosmogenic neutrinos)
- red-shifting



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#### Goodness-of-fit test for:

- AGASA, HiRes-I/II and Fly's Eye Stereo
- horizontal events at AGASA
- contained events at RICE

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$$\mathcal{A} > 10^4$$
 at 90% CL



#### Goodness-of-fit test for:

- AGASA, HiRes-I/II and Fly's Eye Stereo + PAO
- horizontal events at AGASA
- contained events at RICE
- $\mathcal{A} > 10^3$  at 99% CL



## Strong neutrino nucleon interaction induced by:

- electroweak sphalerons g. o. f.  $\sim$  98% CL

[Ringwald '03,Han/Hooper '03]

• p-branes g. o. f.  $\sim$  83% CL

[Anchordoqui/Feng/Goldberg '02]

• string excitations g. o. f.  $\sim$  84% CL

[Burgett/Domokos/Kovesi-Domokos '04]



Survives inclusion of Pierre Auger data at the 95% CL. • Strongly interacting neutrinos might contribute to cosmic rays around and above the GZK–cutoff.

- Our statistical method provides a quick check for strongly interacting neutrino scenarios, taking into account various cosmic ray data sets and cosmic neutrino flux limits.
- Flux of UHE *v*s is model dependent! More information on the origin of cosmic rays soon available: → IceCube, PAO, ...
- Inclusion of additional data on UHE neutrino rates:
   → horizontal events from PAO, ...

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#### Goodness-of-fit test

In frequentists statistic the level of agreement of a particular hypothesis  $\mathcal{H}$  with the experimental data can be represented by

$$\mathcal{G}(\mathcal{H}) = \sum_{N'|P(N') < P(N_{exp})} P(N'|\mathcal{H}),$$

the integrated probability of those samples N' which have a smaller probability P than the actual experimental result  $N_{exp}$ . In general,  $\mathcal{H}$  is then accepted (or rejected) at a chosen significance level  $\mathcal{G}$  corresponding to a confidence level  $1 - \mathcal{G}$ .

The relative contribution of new physics to the real scattering amplitude  $\Re A_{new}/\Re A_{SM}$  at low energies is determined by dispersion relations:

$$\frac{\Re A_{\text{new}}(E_{\nu})}{\Re A_{\text{SM}}(E_{\nu})} \approx \frac{\sqrt{2}E_{\nu}}{0.637\pi G_{\text{F}}} \int_{E_{-}}^{\infty} \mathrm{d} E' \frac{\sigma^{\text{SM}}}{E'} \frac{\mathrm{d}}{\mathrm{d} E'} \left(\frac{\sigma^{\text{tot}}}{\sigma^{\text{SM}}}\right)$$

For the confidence levels of strongly interacting neutrinos this gives:

best fit	90% CL	95% CL	99% CL
0.091	$\leq$ 0.13	$\leq$ 0.15	$\leq$ 0.21

## Hillas Diagram



The sources are: neutron stars (ns), white dwarfs (wd), sunspots (ss), magnetic stars (ms), active galactic nuclei (ag), interstellar space (is), supernova remnants (sn), galactic disk (d), halo (h), radio galaxy lobes (rg), clusters of galaxies (cl) and intergalactic medium (ig). Also shown are jet-frame parameters for blazers (bl) and gamma ray bursts (gb).

## Charged and neutral current interactions

